

Triton

Team 11
February 28, 2017



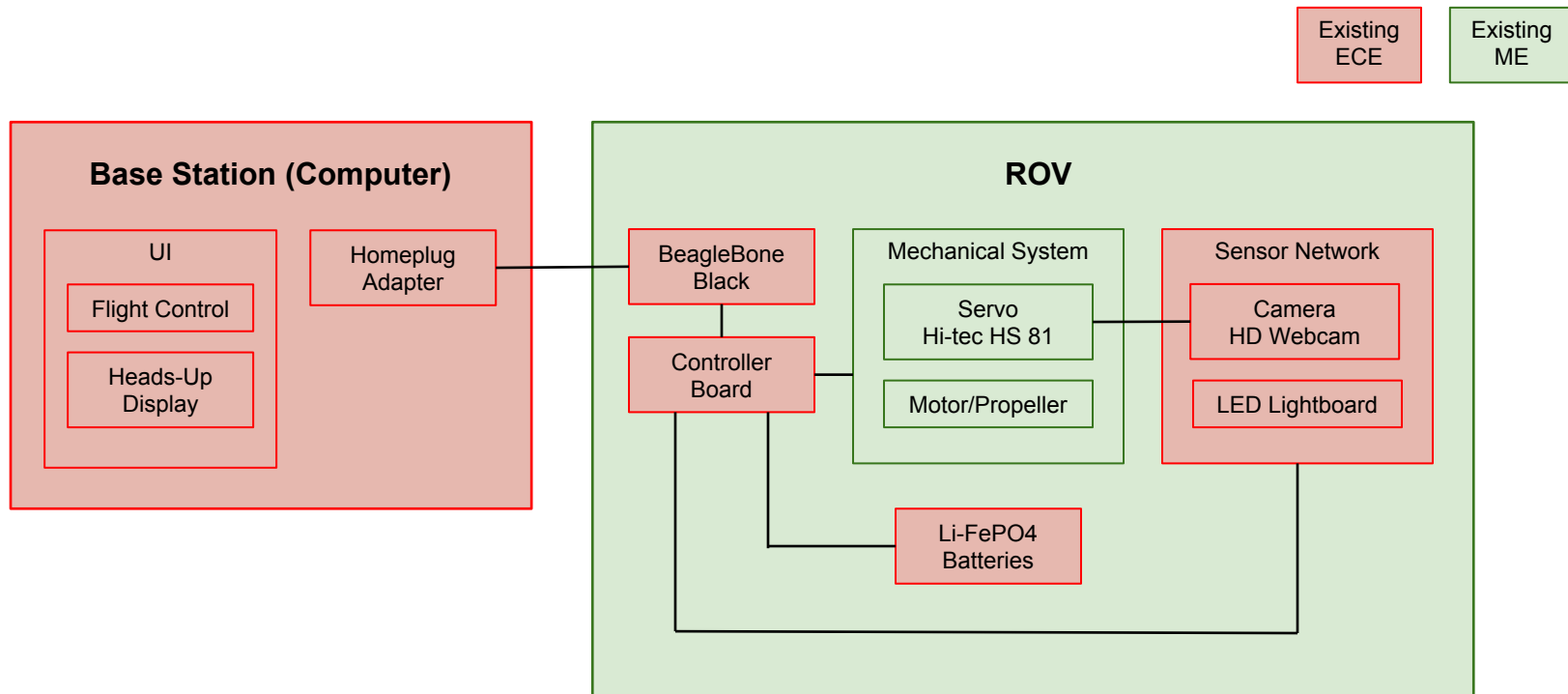
Introduction

- No economical solution for extended underwater monitoring
- Ecologists from UMass Amherst interested in studying spawning behavior river herring
- Triton will allow researchers to observe and record underwater biological phenomena

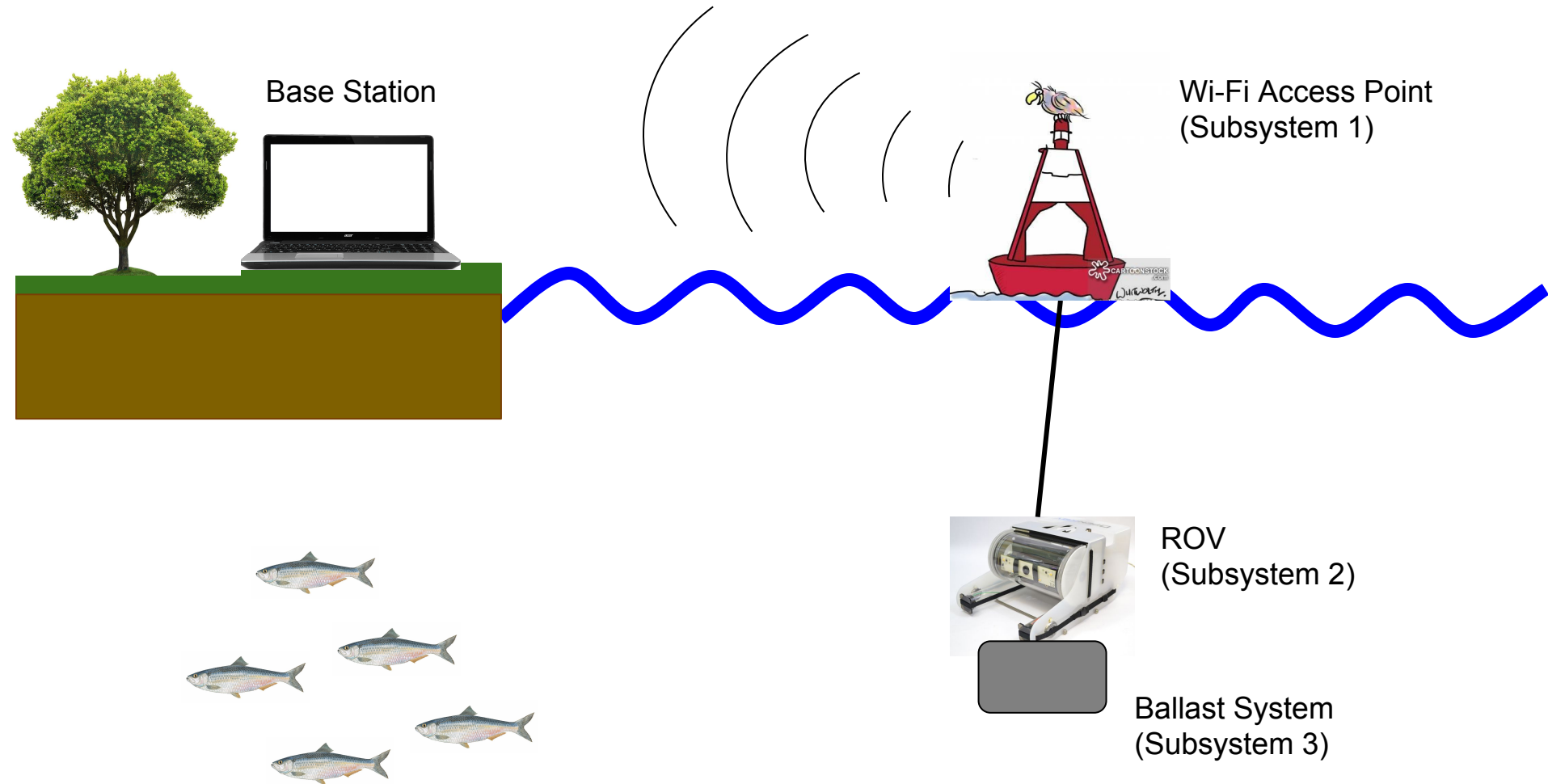
Requirements Analysis: Specifications

- Must be able to reach a depth of 20 feet underwater
- Must be able to operate up to 300 feet away from the base station
- Must be able to operate and provide HD quality video feed up to 2 hours
- Must be able to provide sufficient video quality and lighting to ease navigation underwater
- Should be able to readjust its orientation through control loop

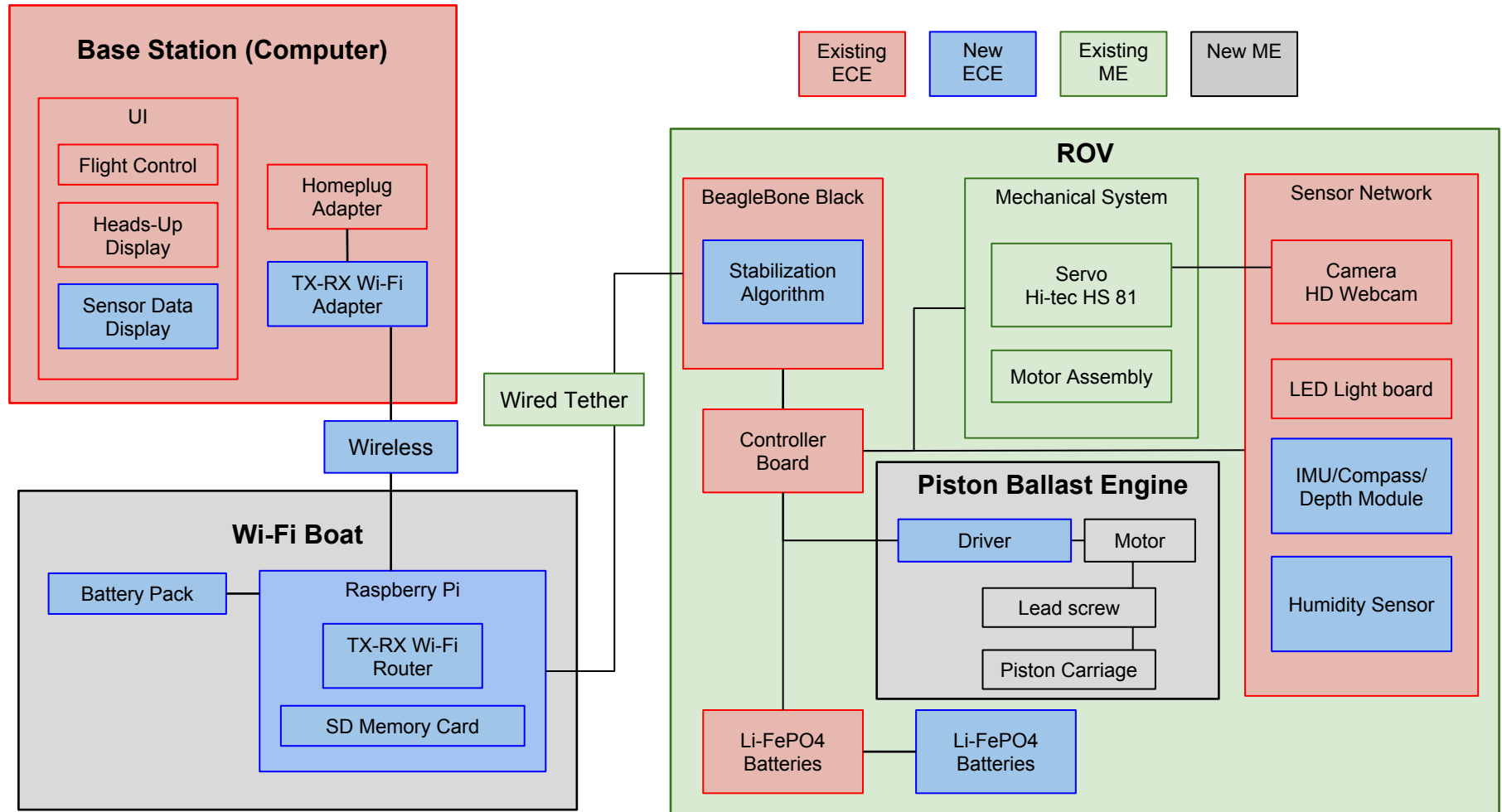
System Block Diagram of Stock ROV



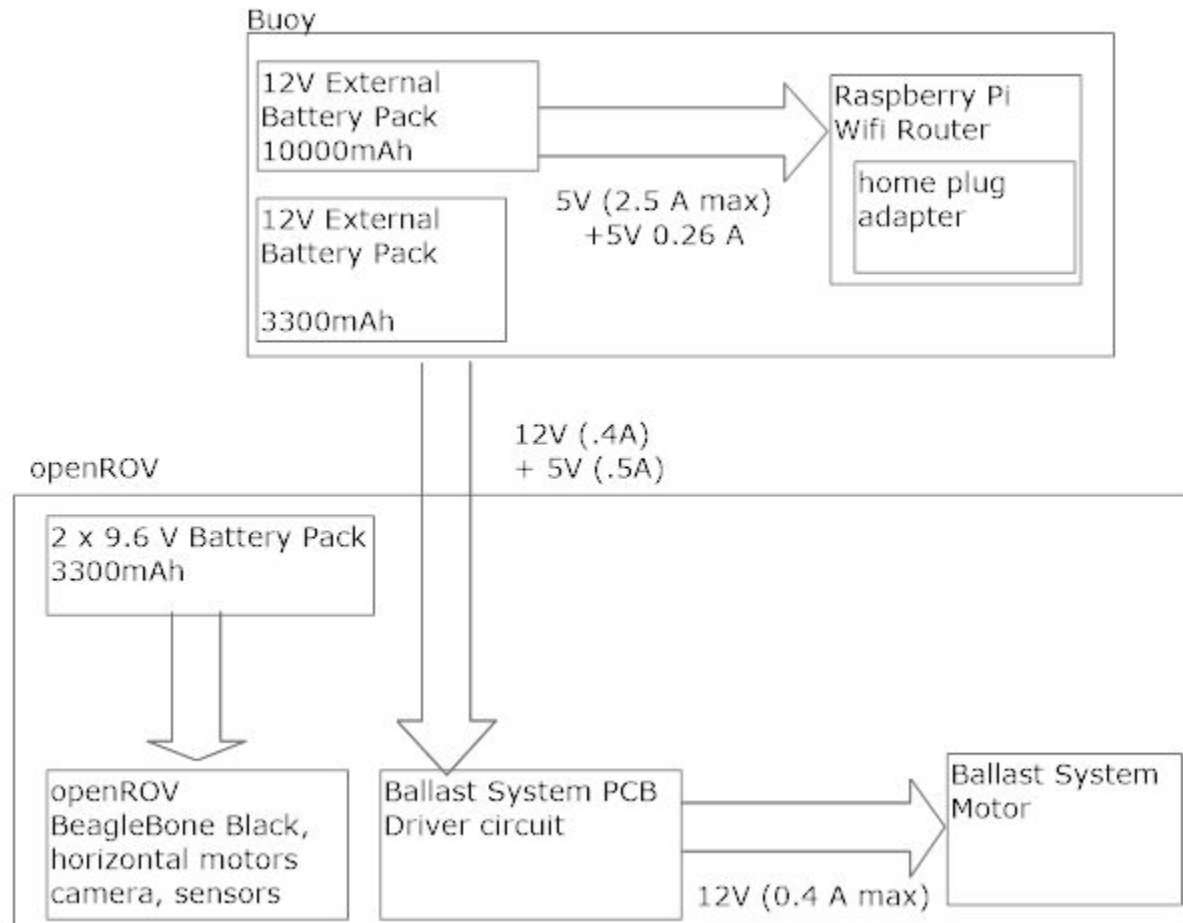
Visual Representation



System Block Diagram

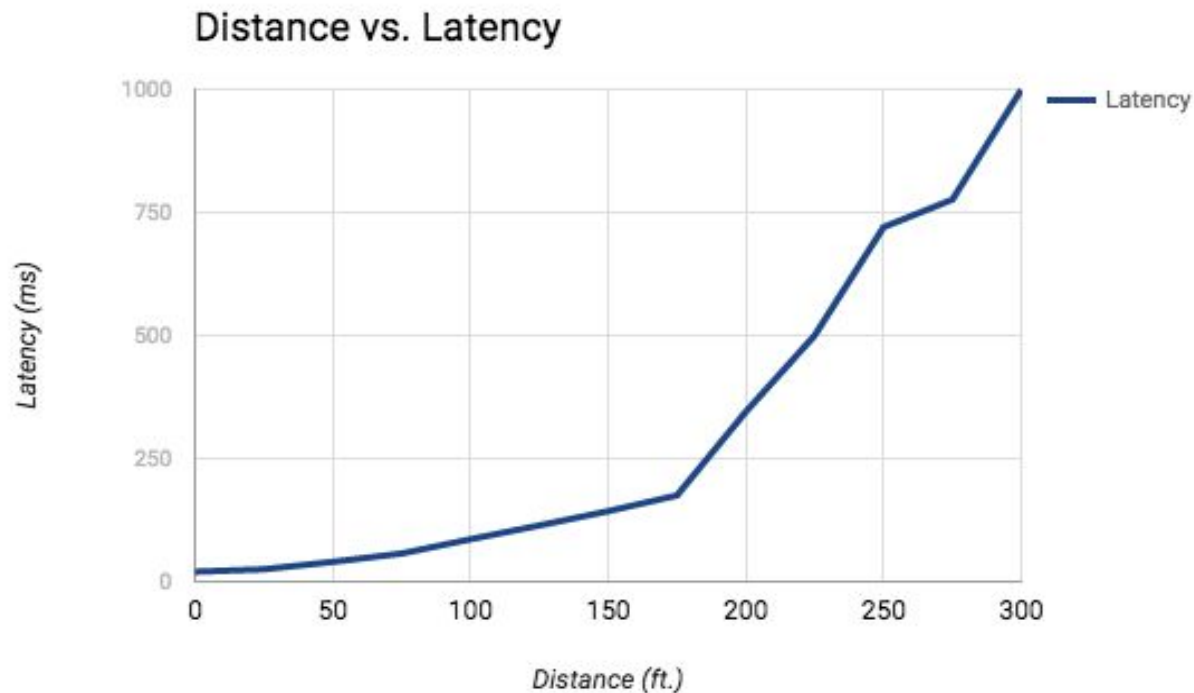


Power Flow

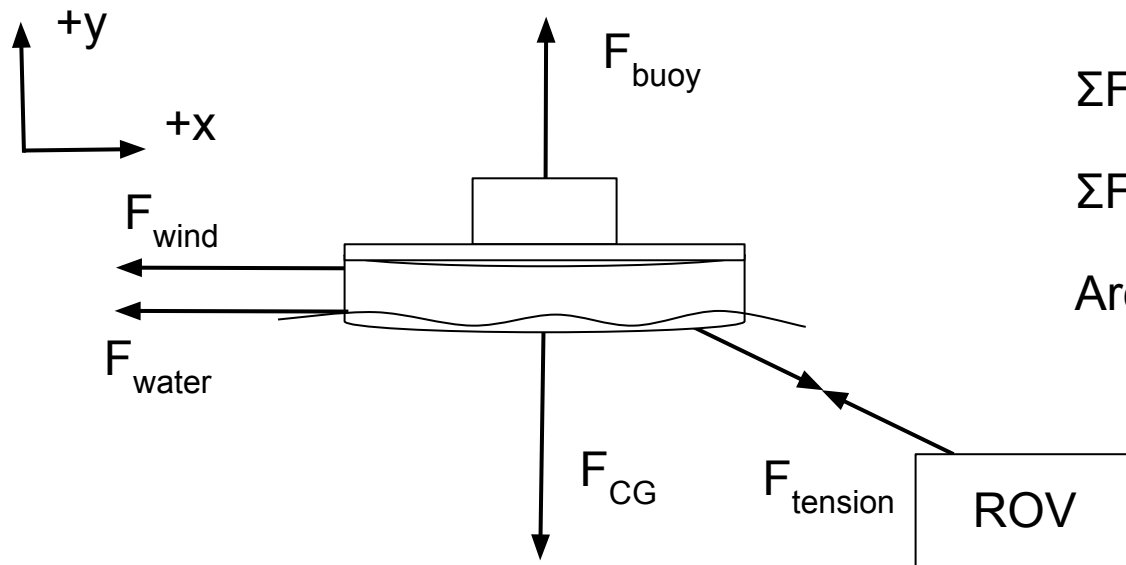


Subsystem 1: WiFi Setup

- Raspberry Pi and ethernet adapter
- Video saving capabilities on local drive



Subsystem 1: Housing Design

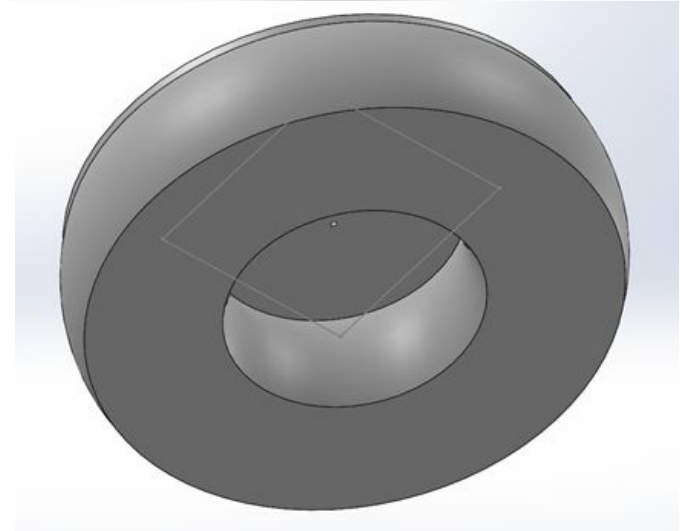
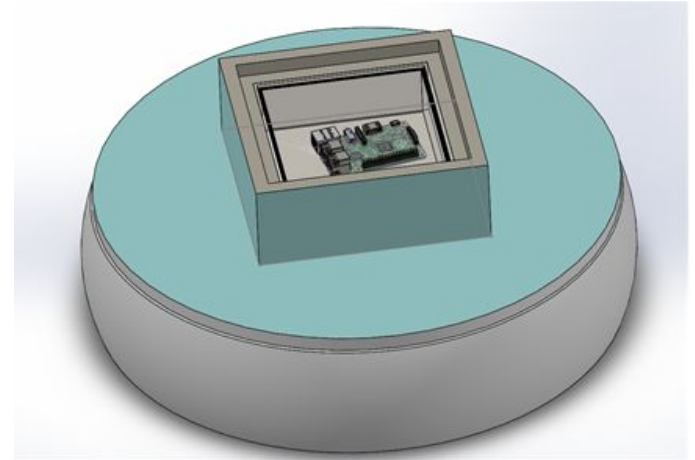
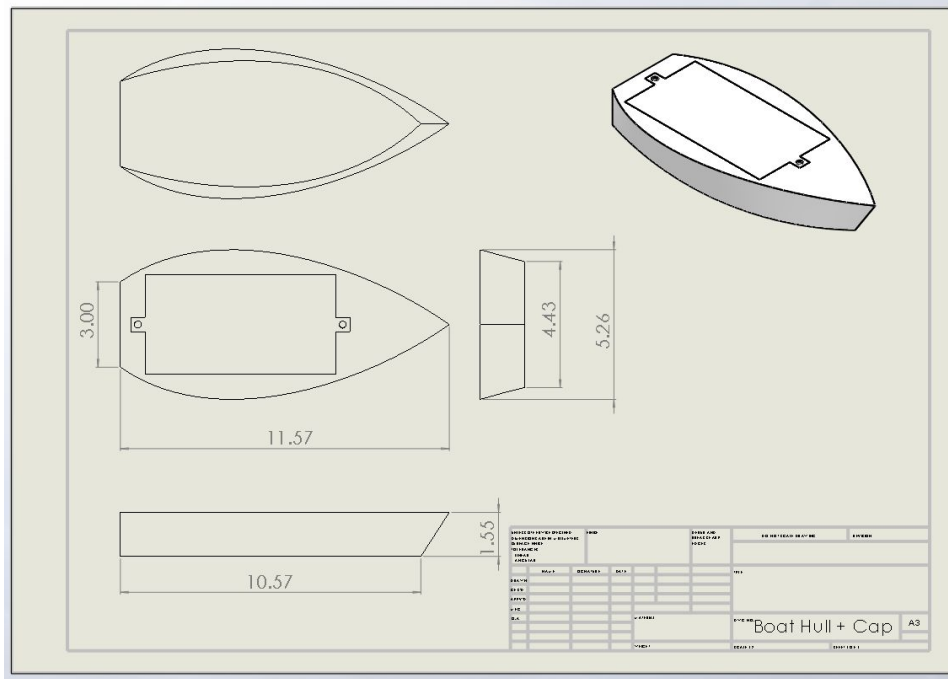


$$\Sigma F_y: F_{\text{CG}} - F_{\text{buoy}} = 0$$

$$\Sigma F_x: F_{\text{tension}} - F_{\text{wind}} - F_{\text{water}} = 0$$

$$\text{Archimedes' Principle: } F = \rho g V$$

Subsystem 1: Housing Design



Subsystem 2: ROV

- Main component of project
- What was done?
 - Rewired
 - Old/damaged electrical components were replaced
 - Re-sealed electronics payload
 - water tested
- Depth/compass sensor
 - For telemetry and accurate navigation
- Humidity sensor
 - Used for detecting leaks in electronics compartment

Subsystem 3: Ballast Piston

- Preliminary piston prototype
 - Stepper motor driven by circuit and user input
 - Separate 12v power source
- Passive ballasting
 - Does not draw energy when stepper motor is not energized
 - Self-locking lead screw eliminates need for system brake to prevent rotation when de-energized

Subsystem 3: Ballast Piston

- Power calculations
 - Initial runtime = 1:21 hrs
 - Need to extend -- reduce power consumption
- Performance improvement
 - Target runtime = 3:51 hrs
 - 226.7% increase to current operable duration

ROV On-board power capacity $C_{ROV} := 6.600 \text{ A} \cdot \text{hr} \cdot 10 \text{ V} = 237.6 \cdot 10^3 \cdot \text{J}$

Power draw of vertical motor $I_v := 7 \text{ A} \quad V := 10 \text{ V} \quad P_v := I_v \cdot V = 70 \text{ W}$

Average duty cycle for a base-level OpenROV system at depth $t_{dev} := \frac{1}{2}$

$Draw_{electronics} := 1.4 \text{ A} \cdot \text{hr}$ Current draw and energy consumption per hour from onboard electronics

$E_{electronics} := V \cdot Draw_{electronics} = 50.4 \cdot 10^3 \cdot \text{J}$

$E_v := P_v \cdot t_{dev} \cdot 1 \text{ hr} = 126 \cdot 10^3 \cdot \text{J}$ For vertical motor depth-holding power consumption per hour:

$\frac{C_{ROV}}{E_v + E_{electronics}} = 1.347$ An anticipated 1.347 hours or ~ 1:21 hours of runtime with vertical motor

$I_m := 0.4 \text{ A} \quad V_m := 12 \text{ V} \quad t_{dem} := \frac{1}{7}$ Power draw of ballast system based upon stepper motor piston

$P_m := I_m \cdot V_m = 48 \text{ W}$

$E_m := P_m \cdot t_{dem} \cdot 1 \text{ hr} = 24.686 \cdot 10^3 \cdot \text{J}$ For hypothetical ballast system energy consumption per hour

$C_m := 2.2 \text{ A} \cdot \text{hr} \cdot 12 \text{ V} = 95.04 \cdot 10^3 \cdot \text{J}$

$\frac{C_{ROV}}{E_m} = 4.714 \quad \frac{C_m}{E_m} = 3.85$ An anticipated 3.85 hours or ~ 3:51 hours of runtime with ballast system

$\frac{C_m}{E_m} - \frac{C_{ROV}}{E_v + E_{electronics}} \cdot 100 = 185.833$ 185.8% increase to operable battery time

Subsystem 3: Ballast Piston

- Preliminary piston prototype
 - PVC and acrylic construction
 - Easily machined, constructed

- Motor selected
 - Torque requirements
 - Geometric constraints
 - Power considerations

Vehicle volume, mass, and values determined from CAD model call-out and manufacturer specifications

$$V_{ROV} := 115 \text{ in}^3 \quad SA_{ROV} := 1181.031 \text{ in}^2 \quad m_R := 1.8 \text{ kg}$$

$$W_{ROV} := m_R \cdot g = 3.968 \text{ lbf} \quad \frac{m_R}{V_{ROV}} = 955.154 \frac{\text{kg}}{\text{m}^3}$$

Archimedes' Principle (for buoyant force)

$$F_B = \rho_{\text{fluid}} \cdot V_{\text{displaced}} \cdot g \quad \rho_{\text{water}} := 1000 \frac{\text{kg}}{\text{m}^3}$$

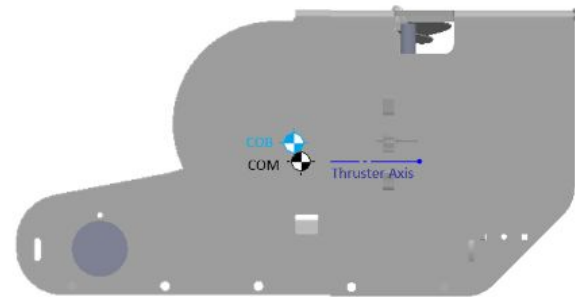
$$F_B := \rho_{\text{water}} \cdot V_{ROV} \cdot g = 4.155 \text{ lbf}$$

Net forces acting in the vertical column

$$F_B - W_{ROV} = 0.186 \text{ lbf}$$

This is the force that must be reduced to zero by the piston ballast system in order to achieve neutral buoyancy

Center of Buoyancy and center of mass CAD calculations. A greater vertical distance, or metacentric height between these two will yield greater stability against overturning, as a greater righting moment is introduced to the system.



Subsystem 3: Ballast Piston

Heat Transfer and Pressure Calculations

Assumed worst case scenario - maximum temperature rise at motor stall torque

$$T_{motor} := 80 \text{ } ^\circ\text{C} = 144 \text{ } ^\circ\text{F} \quad \text{Peak motor temperature rise as determined by manufacturer specification}$$

$$T_w := 35 \text{ } ^\circ\text{F} \quad \text{Film temperature of the PVC surface exposed to water}$$

$$k_{PVC} := 0.19 \frac{\text{W}}{\text{m} \cdot \text{K}} \quad \text{Thermal conductivity of PVC}$$

$$T_{max} < 140 \text{ } ^\circ\text{F} \quad \text{PVC temperature cannot exceed 140 degF}$$

$$q = U \cdot A \cdot (T_m - T_{inf}) \quad L := 2 \text{ in} \quad r_1 := \frac{2.067 \text{ in}}{2} = 1.034 \text{ in}$$

$$R_{tcond} := \frac{\ln\left(\frac{r_2}{r_1}\right)}{2 \cdot \pi \cdot L \cdot k_{PVC}} = 2.29 \frac{\text{K}}{\text{W}} \quad \text{thermal resistance of PVC walled cylinder}$$

Thermophysical properties evaluated at ambient air temperature of ~20degC (68degF)

$$\nu := 15.11 \cdot 10^{-6} \frac{\text{m}^2}{\text{s}} \quad \alpha := 3.43 \cdot 10^{-3} \cdot \frac{1}{\text{K}} \quad k_f := 0.0257 \frac{\text{W}}{\text{m} \cdot \text{K}}$$

$$V := 0.001 \frac{\text{m}}{\text{s}} \quad D_h := \pi \cdot 2 \text{ in}$$

$$\text{Prandtl number: } Pr := \frac{\nu}{\alpha} = 0.004 \frac{\text{m}^2 \cdot \text{K}}{\text{s}} \quad \text{ratio of the momentum and thermal diffusivities}$$

$$\text{Reynolds number: } Re_L := \frac{V \cdot L}{\nu} = 3.362 \quad \text{ratio of the inertia and viscous forces}$$

$$\text{Nusselt number: } Nu = \frac{h \cdot D_h}{k_f} = 4.36 \quad \text{ratio of convection to pure conduction heat transfer for fully developed laminar flow}$$

$$h := 4.36 \cdot \frac{k_f}{D_h} = 0.702 \frac{\text{W}}{\text{m}^2 \cdot \text{K}} \quad A := 2 \cdot \pi \cdot r_1 \cdot L + \pi \cdot r_1^2$$

$$q := \frac{-(T_{motor} - T_w)}{(R_{tcond}^{-1} + A \cdot h)} = -26.888 \text{ W} \quad T_{s1} := -(q \cdot R_{tcond} + T_w) = 75.848 \text{ } ^\circ\text{F}$$

Torque Calculations

$$d_i := 0.1 \text{ in}, 0.11 \text{ in}..5 \text{ in} \quad h := 5.9 \text{ in}$$

$$A_c(d_i) := \frac{\pi}{4} \cdot d_i^2$$

Range of cross sectional areas of the carriage

$$W(d_i) := 11 \text{ psi} \cdot \frac{\pi}{4} \cdot d_i^2$$

Plot displaying relationship of weight applied to thrust collar and cross-sectional area

$$A_c(2 \text{ in}) = 3.142 \text{ in}^2$$

$$r_1 := \frac{2.067 \text{ in}}{2} = 1.034 \text{ in}$$

$$W(2 \text{ in}) = 34.558 \text{ lbf}$$

$$r_2 := \frac{2.375 \text{ in}}{2} = 1.188 \text{ in}$$

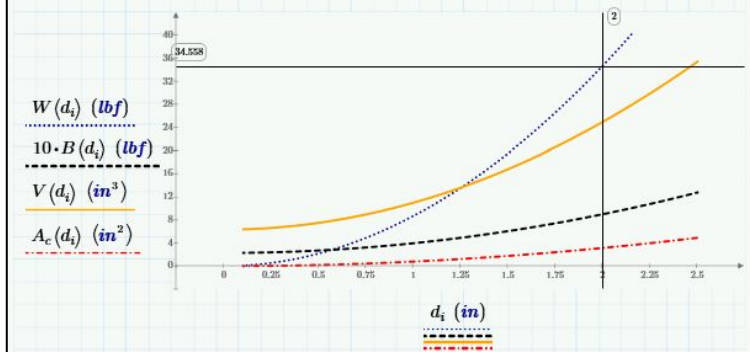
$$P_s := \rho_{water} \cdot g \cdot 25 \text{ ft} = 10.838 \text{ psi}$$

$$V_{pvc} := \pi \cdot (r_2^2 - r_1^2) \cdot h = 6.34 \text{ in}^3$$

$$V(d_i) := \frac{\pi}{4} \cdot d_i^2 \cdot h + V_{pvc}$$

$$B(d_i) := V(d_i) \cdot \rho_{water} \cdot g$$

$$B(2 \text{ in}) = 0.899 \text{ lbf}$$



Subsystem 3: Ballast Piston

Torque required to raise load W

$$Tra(d_i) = \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m + L \cdot \cos(\alpha_n)}{\pi \cdot d_m \cdot \cos(\alpha_n) - f \cdot L}$$

Torque required to lower load W

$$Tla(d_i) = \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m - L \cdot \cos(\alpha_n)}{\pi \cdot d_m \cdot \cos(\alpha_n) + f \cdot L} + \frac{W(A_c) \cdot f_c \cdot d_c}{2}$$

For the Acme thread, $\cos(\alpha_n)$ is so nearly equal to unity that we may simplify the previous equations into the following equations for a square thread:

Torque required to raise load W

$$Tr(d_i) = \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m + L}{\pi \cdot d_m - f \cdot L}$$

Torque required to lower load W

$$Tl(d_i) = \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m - L}{\pi \cdot d_m + f \cdot L} + \frac{W(A_c) \cdot f_c \cdot d_c}{2}$$

Note:

W = Weight supported by the power screw

L = Lead

f = Friction coefficient of the screw material

d_m = Mean diameter of thread contact

d_c = Thrust bearing diameter

f_c = Friction coefficient of the collar washer/bearing

Most applications of power screws require a bearing surface or thrust collar between stationary and rotating members. As a result, additional torque required to overcome collar friction

For a given leadscrew selected from catalog (NEMA 17)

$$L := 8 \text{ mm}$$

$$d_m := 0.25 \text{ in}$$

Assumed coefficient of friction from steel to cast iron interface

$$f := 0.2$$

$$f_c := 0.2$$

Hypothetical collar

$$d_c := L + 0.5 \text{ in}$$

$$\alpha_n := 14.5 \text{ deg}$$

$$SLa(L) := \frac{L \cdot \cos(\alpha_n)}{\pi \cdot d_m} \quad SL(L) := \frac{L}{\pi \cdot d_m}$$

Lead screws can be self locking at low leads. Generally, the lead of the screw should be more than 1/3 of the diameter to satisfactorily backdrive

$$SL(4 \text{ mm}) = 0.201$$

Torque required to raise load W

$$Tr(d_i) := \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m + L}{\pi \cdot d_m - f \cdot L}$$

Torque required to lower load W

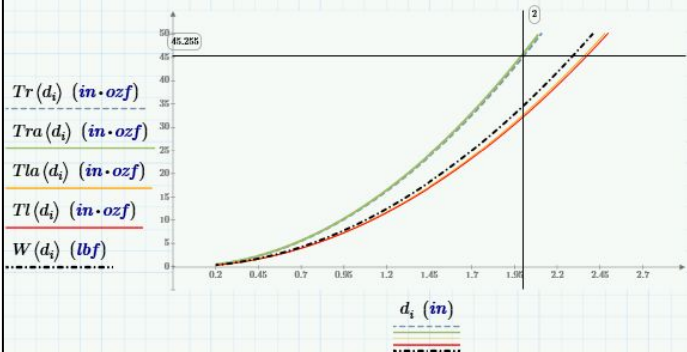
$$Tl(d_i) := \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m - L}{\pi \cdot d_m + f \cdot L} + \frac{W(A_c) \cdot f_c \cdot d_c}{2}$$

Torque required to raise load W

$$Tra(d_i) := \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m + L \cdot \cos(\alpha_n)}{\pi \cdot d_m \cdot \cos(\alpha_n) - f \cdot L}$$

Torque required to lower load W

$$Tla(d_i) := \frac{W(d_i) \cdot d_m}{2} \cdot \frac{f \cdot \pi \cdot d_m - L \cdot \cos(\alpha_n)}{\pi \cdot d_m \cdot \cos(\alpha_n) + f \cdot L} + \frac{W(A_c) \cdot f_c \cdot d_c}{2}$$

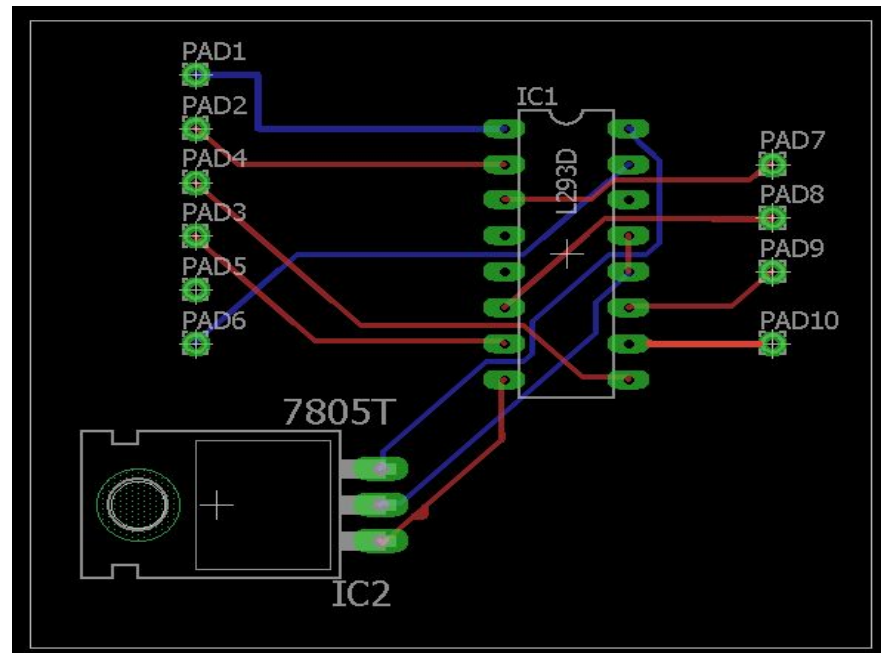


Friction Coefficient [f] for Threaded Pairs				
Screw Material	Nut Material			
	Steel	Bronze	Brass	Cast Iron
Steel, dry	0.15-0.25	0.15-0.23	0.15-0.19	0.15-0.25
Steel, machine oil	0.11-0.17	0.10-0.16	0.10-0.15	0.11-0.17
Bronze	0.08-0.12	0.04-0.06	-	0.06-0.09

Source : From Shigley's Mechanical Engineering Design [Ref 1] and Mechanical Design and Systems Handbook [Ref 2]

Subsystem 3: PCB

- Driver for stepper motor
- Voltage Regulator 12V to 5V



Previously Proposed CDR Deliverables

- Demonstration of ROV reaching 20 feet depth in a lake
- Final design of the boat with WiFi setup onboard
- Prototype of a working ballast system
- Prototype of PCB
- Implementation of humidity and depth/compass sensors

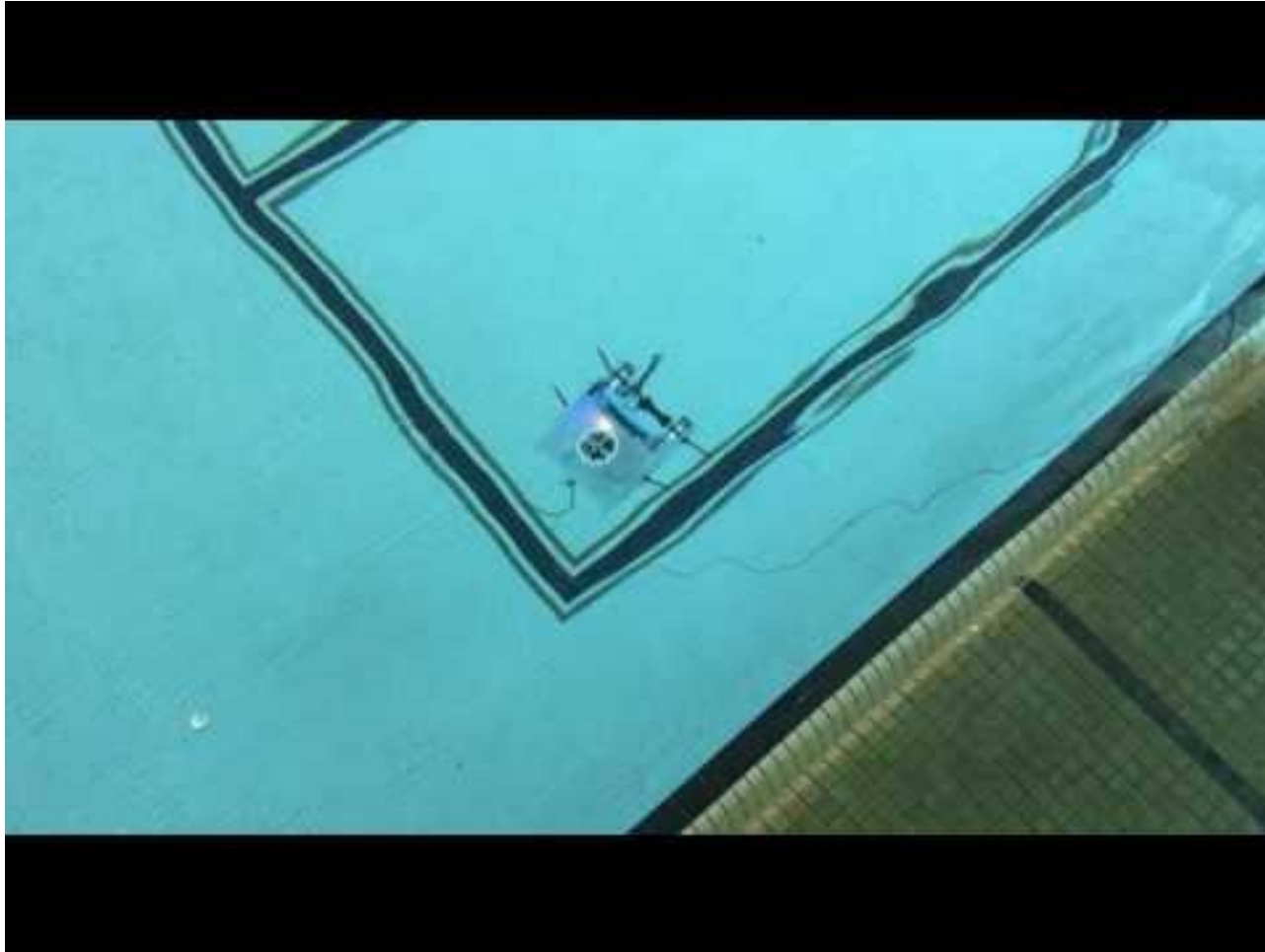
Boat Water Test



Fully Closed ROV Water Test 1



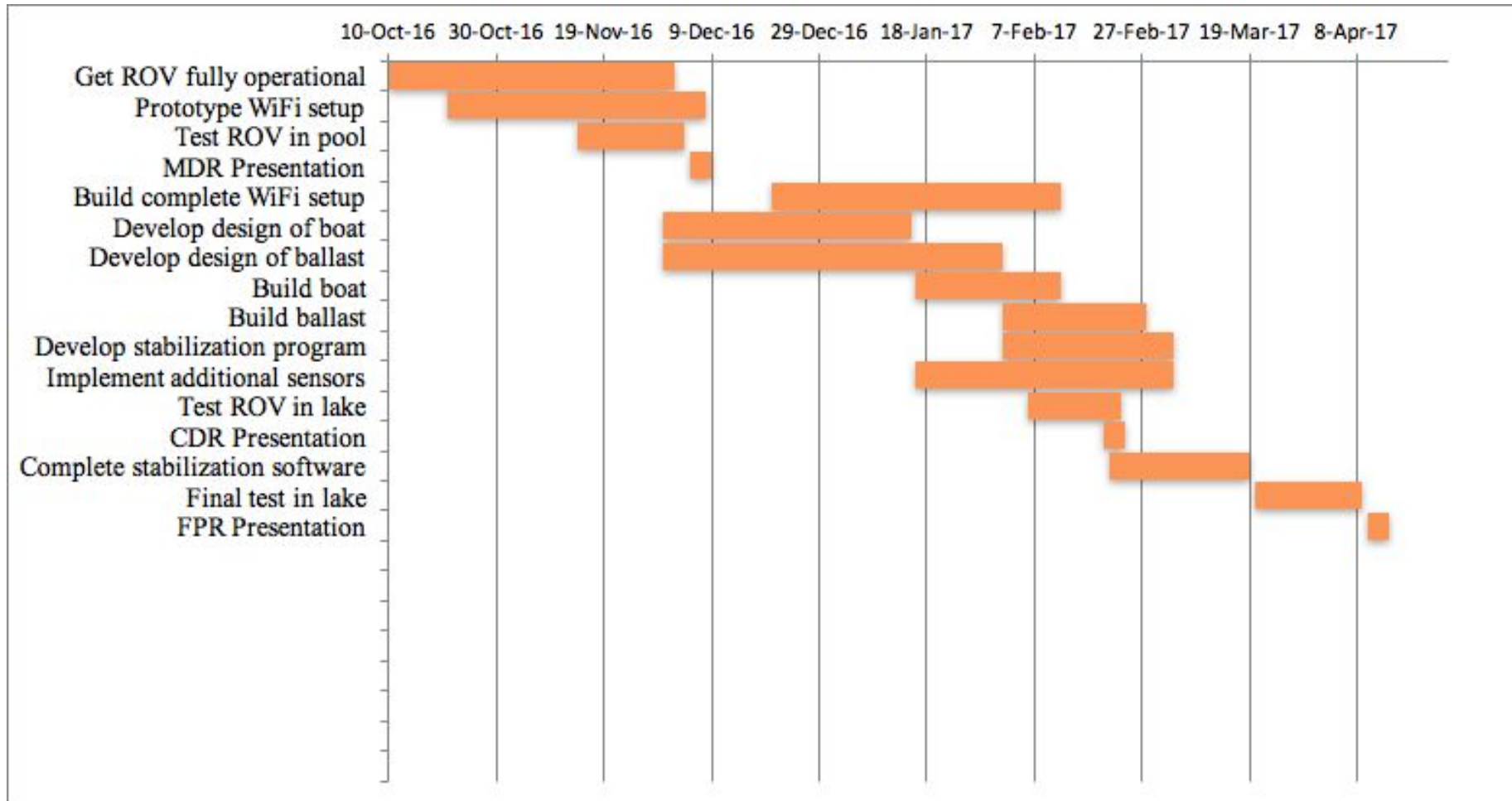
Fully Closed ROV Water Test 2



Proposed FPR Deliverables

- Successful lake test for the ROV
- Fully integrated ballast system
- Finalized WiFi setup and buoy design
- HD video capture and storage capabilities onboard the buoy and computer base station
- Implementation of humidity sensor with UI alert

Proposed Timeline



Cost of Materials

Item	Cost	Shipping Cost
BeagleBone	56.61	0
WiFi Module	19.95	8.59
Syringes (4)	2.12	10
Acrylic Cement	11.81	0
Cement Applicator	5.75	0
Styrofoam/Epoxy (2)	25	0
Humidity Sensor	13.79	13.79
Foam Ring Pool Buoy	25.13	0
L293DNE IC Chip (5)	17.70	10.00
Silicon Spray Lubricant	8.62	0
Adjustable Angle USB	5.99	0
Battery Pack	15.99	0
Raspberry Pi Model B	49.99	0
PCB	80.00	10.00
	Total Cost	390.83
	Current Budget	109.17